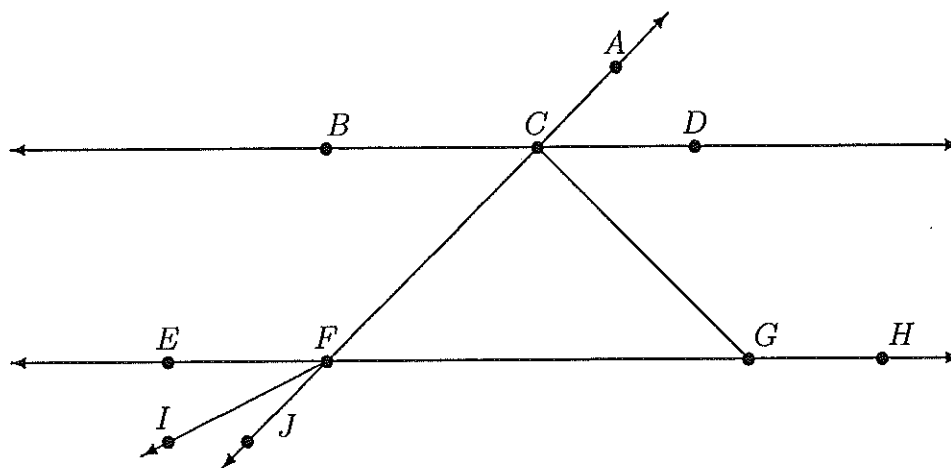


1. [14 pts - 2 each] Refer to the diagram below (extra copies are on the back page):



- (a) Name a set of three noncollinear points.

many correct answers (E, C, H is one.)

- (b) Name three different objects that \overline{FH} is part of.

\overline{EH} , \overrightarrow{EH} or \overrightarrow{HE} or \overrightarrow{FH} , \overleftrightarrow{EH} , $\angle AFG$ or $\angle HFG$, etc.

- (c) Name a pair of adjacent angles that are not a linear pair.

$\angle ACD$ + $\angle DCG$ is one option.

- (d) Name a pair of acute vertical angles having F as a vertex.

$\angle EFJ$ + $\angle AFH$

- (e) Find $\overrightarrow{FE} \cup \overrightarrow{EG}$.

\overrightarrow{GE} or \overrightarrow{GF}

- (f) Find $\overrightarrow{FC} \cap \angle DCA$.

\overrightarrow{CA}

- (g) Find $\angle GCF \cap \angle IFC$.

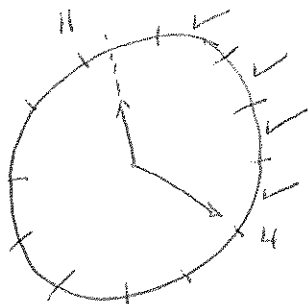
\overline{FC}

(*)
-1 bad answer

⑧

② + $\frac{1}{3}(30)$

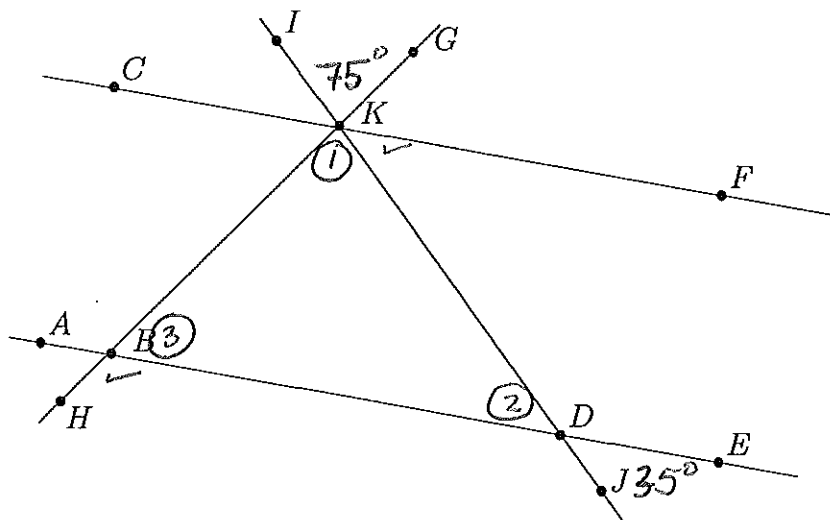
2. [8 pts] Find the exact size of the non-reflex angle formed by the hands of a working clock at 11:20. Show clear work.



4 entire 30° sectors + part of another.
 $\frac{20}{60}$ gone, $\frac{40}{60}$ of 30° to go = 20° .

140°

3. [10 pts] In this diagram, $\overleftrightarrow{CF} \parallel \overleftrightarrow{AE}$, $m(\angle IKG) = 75^\circ$, and $m(\angle JDE) = 35^\circ$.



(a) Find $m(\angle JKF)$, clearly explaining your reasoning.

= 35° because it is a corresponding angle with $\angle JDE$.

⑧

③

(b) Find $m(\angle HBE)$, clearly explaining your reasoning.

Inside the triangle, $m(\angle 1) = 75^\circ$ because it's vertical with $\angle IKG$.

③

$m(\angle 2) = 35^\circ$

" " "

$\angle JDE$

②

$m(\angle 3) = 70^\circ$

because the interior angles of a Δ total 180° in measure.

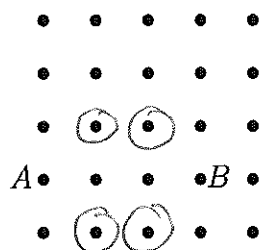
②

$m(\angle HBE) = 110^\circ$

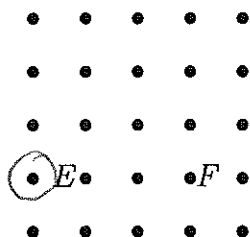
because it's supplementary/a linear pair with $\angle 3$.

with $\angle 3$.

4. (a) [3 pts] Circle all possible points C in the grid that would make $\angle BCA$ an obtuse angle.



- (b) [3 pts] Circle all possible points D in the grid that would make $\angle DEF$ a straight angle.



5. [8 pts] Determine the total number of diagonals of a 140-gon, explaining your process thoroughly and clearly. (If you use a memorized formula, you must still explain why that formula works.)

(X)
 ② 9590
 ② $n-3$
 ② $\times n$
 ② $\div 2$

20
30

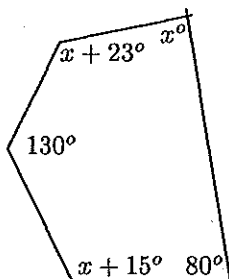
6. [6 pts] Is it possible for a polygon to have an interior angle total of $50,280^\circ$? Justify your response with a suitable computation or verbal reasoning.

$$\frac{(n-2) \cdot 180^\circ}{180} = \frac{50280^\circ}{180}$$

$$n-2 = 279.3$$

n is the number of sides, so it must be a whole number. That's not so here, so 50280° is an impossible total.

7. [6 pts] Find the missing angle measures, rounded to the nearest tenth. Show work.



$$5 \text{ sides} \Rightarrow (5-2) \cdot 180^\circ = 540^\circ \text{ total}$$

$$x + (x + 23) + 130 + (x + 15) + 80 = 540$$

$$\begin{aligned} 3x + 248 &= 540 \\ 3x &= 292 \\ x &= 97.3 \end{aligned}$$

The missing measures are
 97.3°
 112.3°
and 120.3° .

8. [8 pts - 2 each] Classify each statement below as always, sometimes, or never true.

(a) A square is a quadrilateral.

always true

(b) An equilateral triangle is acute.

always true

(c) The diagonals of a rhombus are congruent.

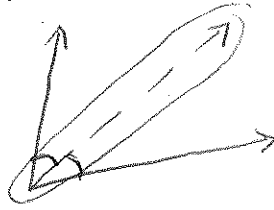
sometimes true

(d) A trapezoid has no congruent sides.

sometimes true

9. [24 pts - 4 each] Draw and mark examples as indicated of the following; if not possible, say so.

(a) a bisector of an angle (circle the actual bisector to mark it)



(b) a right equilateral triangle (mark the right angle; mark the sides to show same or different lengths)

not possible -
the Δ needs only 60° angles so
it can't have a 90° angle
also

(c) a trapezoid having no congruent sides (mark the sides to show same or different lengths)



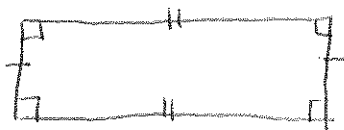
(d) a parallelogram that is not a square (mark the parallel sides with matching arrows; mark the sides to show same or different lengths)



(e) a curve that is closed but not simple (no marking required)



(f) a quadrilateral that is equiangular but not equilateral (mark all sides and angles to show same or different sizes)



10
10

10. [10 pts - 2 each] Complete each sentence with the correctly spelled term being defined.

(a) The point where the two rays creating an angle are joined together is called the ... VERTEX.

(b) A polygon having twelve sides is called a ... DODECAGON.

(c) Two angles whose measurements total 90° are called ... COMPLEMENTARY.

(d) Three or more lines that intersect at the same point are called ... CONCURRENT.

(e) A polygon that is both equiangular and equilateral is called ... REGULAR.

