- 1. Consider the family of sets defined by $B_n = \left(\frac{n-1}{n}, n+\frac{1}{n}\right]$ for each $n \in \mathbb{Z}^+$.
 - (a) Use interval notation to write B_1 and then $(B_1)^c$, where the universal set is the entire real number line. Indicate which answer is which.
 - (b) Use interval notation to write $B_1 \setminus B_2$, $\bigcap_{n=2}^4 B_n$, $\bigcup_{n=1}^\infty B_n$, and $\bigcap_{n=1}^\infty B_n$. (Number line graphs help!)

2. Consider the family of sets defined by $B_n = \left[\frac{n+1}{n}, 3n - \frac{1}{n}\right]$ for each $n \in \mathbb{Z}^+$.

- (a) Use interval notation to write B_1 and then $(B_1)^c$, where the universal set is the entire real number line. Indicate which answer is which.
- (b) Use interval notation to write $B_1 \setminus B_2$, $\bigcap_{n=2}^4 B_n$, $\bigcup_{n=1}^\infty B_n$, and $\bigcap_{n=1}^\infty B_n$. (Number line graphs help!)

- 3. Consider the family of sets B_i where for each positive integer $i, B_i = \{x \in \mathbf{R} \mid 1 \frac{1}{i} < x \le i\}$.
 - (a) Write B_1 and B_2 in the correct choice of roster or interval notation. Tell which set is which.

(b) Given that the universal set is \mathbf{R} , use correct notation to write the complement of B_3 .

(c) Use correct notation to find $B_1 \setminus B_2$, $\bigcup_{n=1}^{\infty} B_n$, and $\bigcap_{n=1}^{\infty} B_n$. Indicate which answer is which.

4. Now redefine the sets B_i from Problem #3 above as $B_i = \{x \in \mathbb{Z} \mid 1 - \frac{1}{i} < x \le i\}$ (note that this is a little different!) and answer the same questions (a)-(c).

- 5. Consider the family of sets C_i where for each non-negative integer $i, C_i = [(-1)^i(i), i+1]$
 - (a) Write C_0 and C_1 in the correct choice of roster or interval notation. (0 is neither positive nor negative, so yes, C_0 is defined.)

(b) Use correct notation to find $C_1 \setminus C_0$.

(c) Find
$$\bigcup_{i=0}^{\infty} C_i$$
 and $\bigcap_{i=0}^{\infty} C_i$, telling which is which.