The following template is a guideline for what to write in completing a proof by mathematical induction. You're expected to write **entire sentences**, not just the missing formulaic parts, to create a complete proof.

Prove that 
$$\sum_{i=1}^{n} i = \frac{n(n+1)}{2}$$
 for every positive integer n.

- 1. (Introduction) Let P(n) be the statement ...
- 2. (Basis Step) (NTS:  $P(\underline{\phantom{a}})$  is true, meaning . . .

3. ("IHOP") Assume that ...

That is, (rewrite the formula)...

4. (Inductive Step) (NTS:  $P(\underline{\phantom{A}})$  is true, meaning . . .

5. (Conclusion) By the Principle of Mathematical Induction (PMI), ...

In your notes, imitate the template to prove:  $\sum_{i=1}^{n} i^2 = \frac{n(n+1)(2n+1)}{6}$  for every  $n \in \mathbf{Z}^+$ .